



**KOLEJ YAYASAN PELAJARAN JOHOR
FINAL EXAMINATION**

COURSE NAME : CIRCUIT ANALYZE
COURSE CODE : DKE 2093
SESSION : DECEMBER 2022
DURATION : 2 HOURS 30 MINUTES

**INSTRUCTION TO CANDIDATES/
ARAHAN KEPADA CALON**

1. This examination paper consists of **SIX (6)** questions. /
*Kertas soalan ini mengandungi **ENAM (6)** soalan.*

2. Candidates are not allowed to bring any material to examination room except with the permission from the invigilator. /
Calon tidak dibenarkan untuk membawa sebarang bahan/nota ke bilik peperiksaan tanpa kebenaran daripada pengawas.

3. Please check to make sure that this examination pack consists of: /
Pastikan kertas soalan peperiksaan ini mengandungi:
 - i. Question Paper /
Kertas Soalan.
 - ii. Answering Booklet /
Buku Jawapan.
 - iii. Semilog Graph Paper/
Kertas Semilog Graf.

**DO NOT TURN THIS PAGE UNTIL YOU ARE TOLD TO DO SO /
JANGAN BUKA KERTAS SOALAN INI SEHINGGA DIBERITAHU**

This examination paper consists of **10** printed pages including front page
*Kertas soalan ini mengandungi **10** halaman bercetak termasuk kulit hadapan*

This examination paper consists of **SIX (6)** questions. Answer **ALL** the questions in an Answering Booklet.

Kertas soalan ini mengandungi ENAM (6) soalan. Jawab SEMUA soalan dalam Buku Jawapan.

QUESTION 1/ SOALAN 1

Referring to **Figure 1**, find the equivalent inductance, L_{eq} view from terminal A-B and the energy stored in equivalent inductance, L_{eq} for the circuit under direct current condition.

(15 marks/ markah)

Berdasarkan Rajah 1, dapatkan kearuhan setara, L_{eq} dilihat dari terminal A-B dan tenaga yang disimpan dalam kearuhan setara, L_{eq} untuk litar di bawah keadaan arus terus.

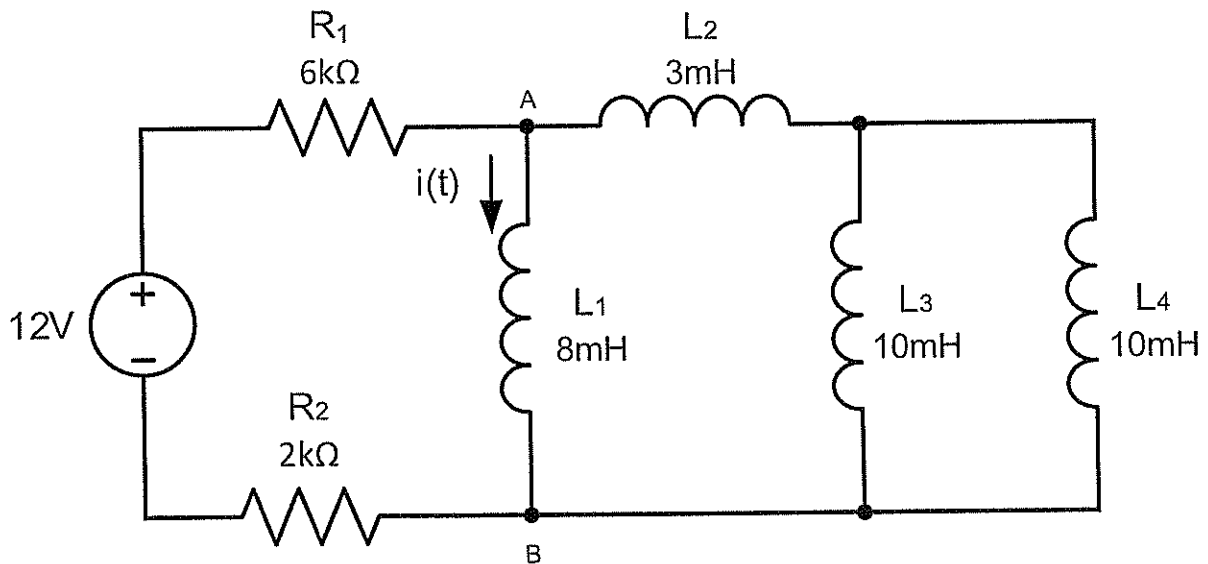


Figure 1/ Rajah 1

QUESTION 2/ SOALAN 2

Assume that the circuit in **Figure 2** is in its steady state condition at $t < 0$. Find $v(t)$ for $t > 0$ using transient analysis method.

(20 marks/ markah)

Anggapkan bahawa litar dalam **Rajah 2** telah berada dalam keadaan mantap pada $t < 0$. Dapatkan $v(t)$ untuk $t > 0$ dengan menggunakan kaedah analisis ubahtika.

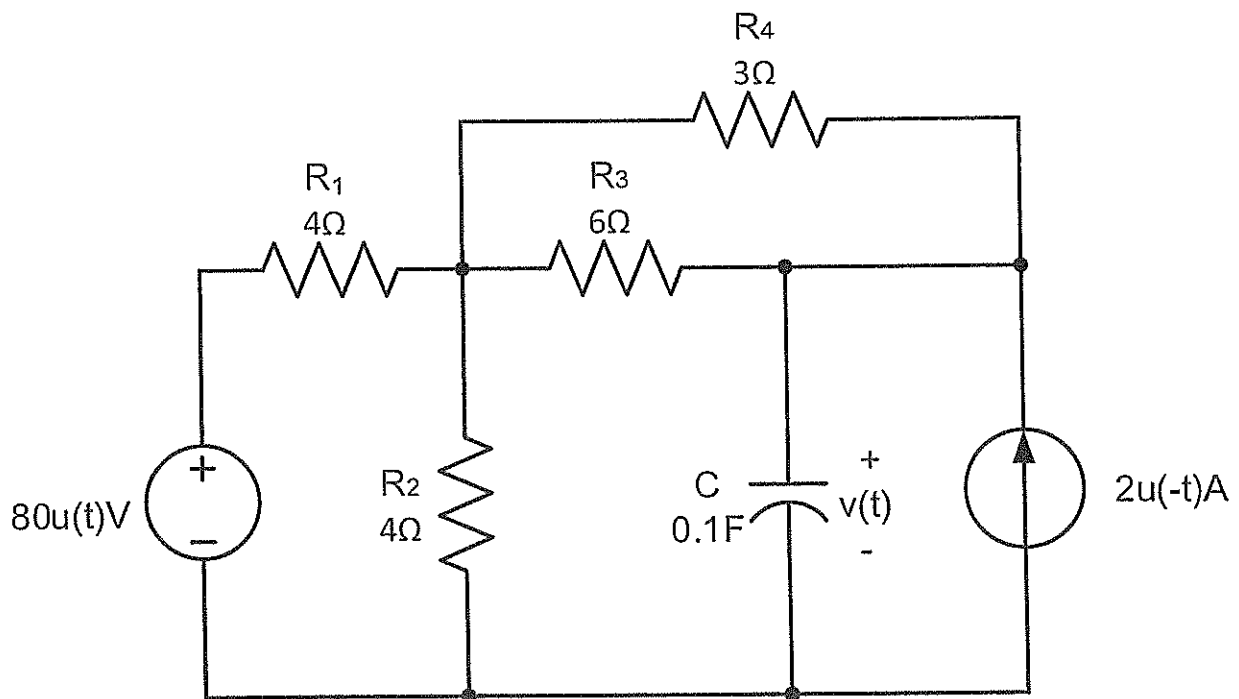


Figure 2/ Rajah 2

QUESTION 3/ SOALAN 3

The differential equation of the voltage across capacitor, $v(t)$ in a second order circuit is given as:

$$\frac{d^2v(t)}{dt^2} + 4 \frac{dv(t)}{dt} + 4v(t) = 12V$$

Given that the initial voltage across capacitor, $v(0^-) = 6V$ and $\frac{dv(0^+)}{dt} = 1 \frac{V}{s}$. Find the voltage, $v(t)$ using transient analysis method.

(20 marks/ markah)

Persamaan kebezaan bagi voltan merintanggi pemuat, $v(t)$ dalam satu litar tertib kedua diberi sebagai:

$$\frac{d^2v(t)}{dt^2} + 4 \frac{dv(t)}{dt} + 4v(t) = 12V$$

Diberi voltan awalan merintanggi pemuat, $v(0^-) = 6V$ dan $\frac{dv(0^+)}{dt} = 1 \frac{V}{s}$. Dapatkan voltan, $v(t)$ menggunakan kaedah analisis ubahtika.

QUESTION 4/ SOALAN 4

The switches S_1 and S_2 in the circuit of Figure 4 have been opened for a long time at $t < 0$. At $t = 0$, both switches are closed. Find the Laplace function of the voltage across capacitor, $V(s)$ for $t \geq 0$ using Laplace analysis method.

(15 marks/ markah)

Suis S_1 dan S_2 dalam litar **Rajah 4** telah dibuka dalam jangka masa yang panjang pada $t < 0$. Pada $t = 0$, kedua-dua suis ditutup. Dapatkan fungsi Laplace bagi voltan melintangi pemuat, $V(s)$ untuk $t \geq 0$ menggunakan kaedah analisis Laplace.

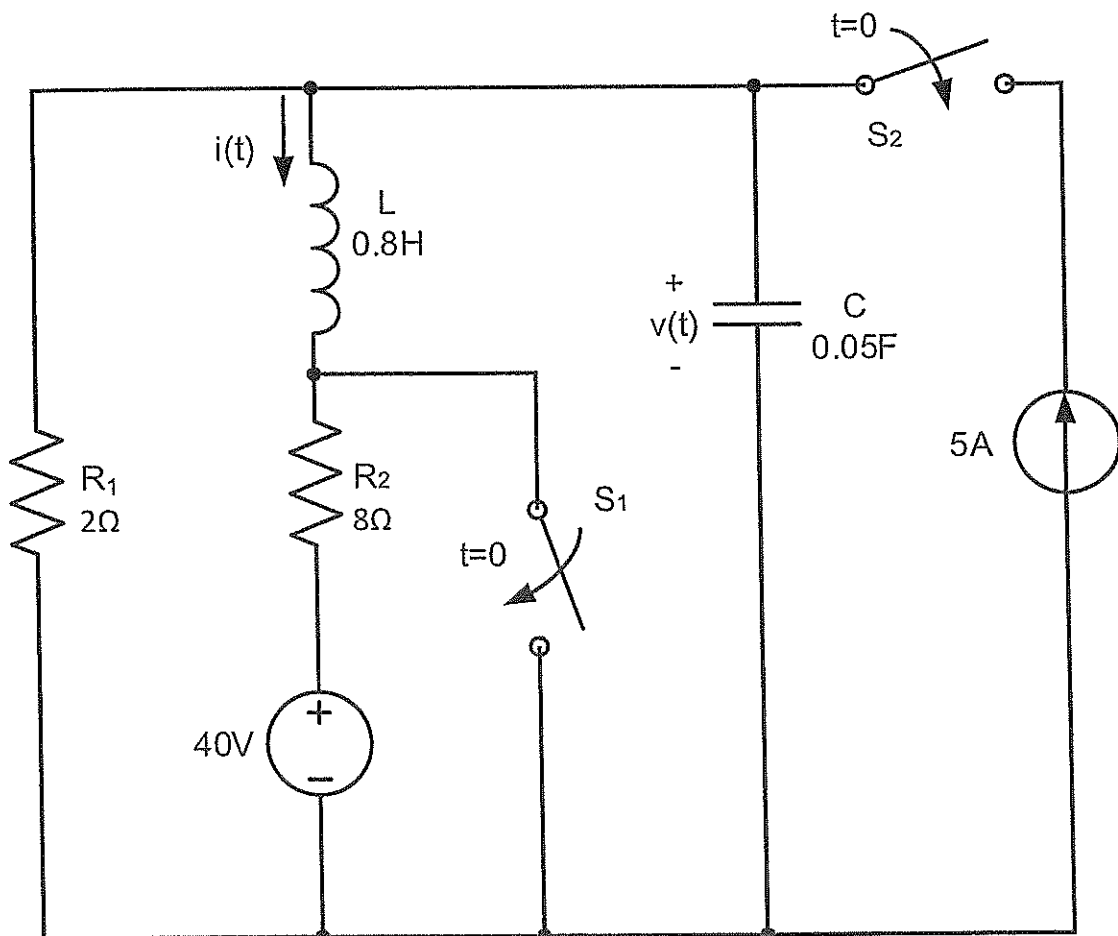


Figure 4/ Rajah 4

QUESTION 5/ SOALAN 5

Draw the magnitude Bode Plot for the following transfer function:

$$H(s) = \frac{(s + 20)^2 (s^2 + 48s + 360000)}{563s^2 (s + 8000)}$$

Use minimum frequency, $\omega=1$ rad/s and maximum frequency, $\omega=100,000$ rad/s.

(15 marks/ *markah*)

Lukiskan magnitud Rajah Bode untuk rangkap pindah berikut:

$$H(s) = \frac{(s + 20)^2 (s^2 + 48s + 360000)}{563s^2 (s + 8000)}$$

Guna frekuensi minima, $\omega=1$ rad/s dan frekuensi maksima, $\omega=100,000$ rad/s.

QUESTION 6/ SOALAN 6

The two-port network is terminated as shown in Figure 6. Find the output voltage, V_2 and the output current, I_2 .

$$z = \begin{pmatrix} s + 2 & \frac{1}{s} \\ -2 & 2 + \frac{1}{s} \end{pmatrix}$$

(15 marks/ markah)

Rangkaian dua-liang ditamatkan seperti ditunjukkan dalam Rajah 6. Dapatkan voltan keluaran, V_2 dan arus keluaran, I_2 .

$$z = \begin{pmatrix} s + 2 & \frac{1}{s} \\ -2 & 2 + \frac{1}{s} \end{pmatrix}$$

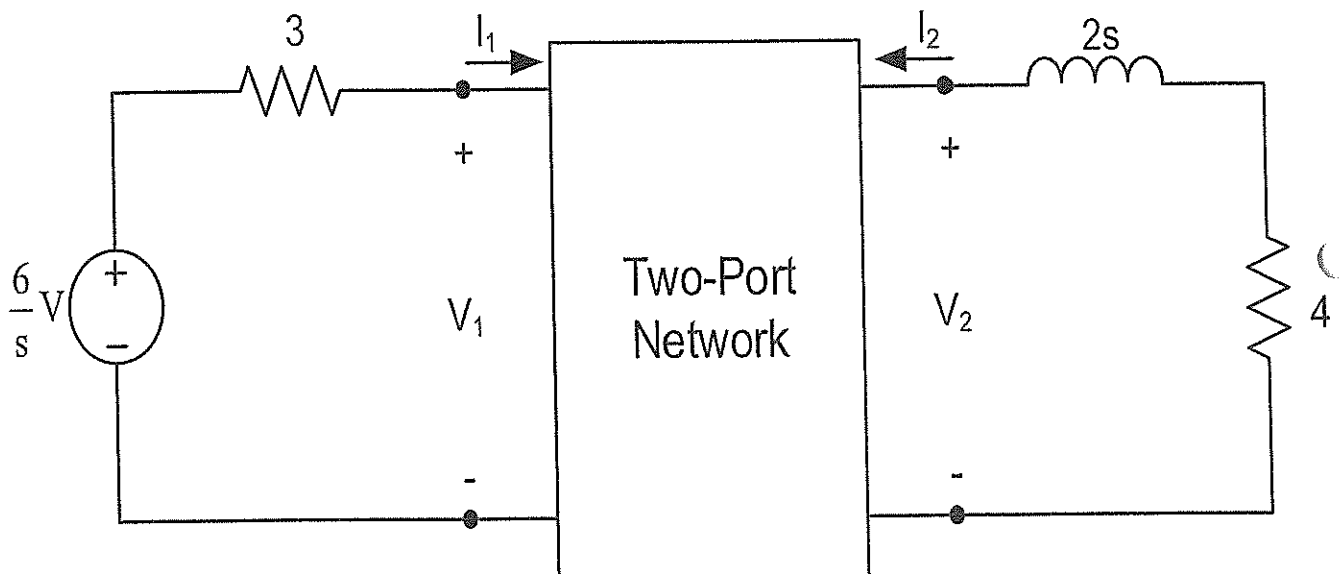


Figure 6/ Rajah 6

[100 MARKS/ 100 MARKAH]

END OF QUESTION PAPER/ KERTAS SOALAN TAMAT

Forcing Functions and Their Assumed Solutions
(Fungsi Berdaya dan Penyelesaian Anggapan)

Forcing functions (Fungsi Berdaya)		Assumed Solutions (Penyelesaian Anggapan)
Constan (Malar)		$f(t) = A$ $x_f(t) = K_2$
Exponential (Eksponen)		$f(t) = M e^{-st}$ $x_f(t) = K_2 e^{-st}$
Variable (Pembolehubah)	Ramp (Tanjak)	$f(t) = mt$ $x_f(t) = K_2 t + K_3$
	Parabolic (Parabola)	$f(t) = t^2$ $x_f(t) = K_2 t^2 + K_3 t + K_4$
Sinusoidal (Sinus)		$f(t) = M \sin(\omega t + \theta)$ $f(t) = M \cos(\omega t + \theta)$ $x_f(t) = K_2 \sin \omega t + K_3 \cos \omega t$
Exponential Sinusoidal (Sinus Eksponen)		$f(t) = M e^{-st} \sin(\omega t + \theta)$ $x_f(t) = e^{-st} (K_2 \sin \omega t + K_3 \cos \omega t)$

Table of Laplace Transform Pairs
(Jadual Penukaran Pasangan Penjelmaan Laplace)

Functions (<i>Fungsi</i>)	$f(t)$	$F(s)$
Unit Impulse (<i>Dedenyut</i>)	$\delta(t)$	1
Unit Step (<i>Unit langkah</i>) Constant (<i>Malar</i>)	$u(t)$ 1	$\frac{1}{s}$
Unit Ramp (<i>Unit Tanjak</i>) t function (<i>Rangkap t</i>)	$t u(t)$	$\frac{1}{s^2}$
Unit Parabolic (<i>Unit Parabola</i>)	$\frac{1}{2}t^2 u(t)$	$\frac{1}{s^3}$
n^{th} integral of impulse (<i>Kamiran ke-n dedenyut</i>)	$\delta^{-n}(t)$	$\frac{1}{s^n}$
n^{th} derivative of impulse (<i>Kerbezaan ke-n dedenyut</i>)	$\delta^n(t)$	s^n
Power of t (<i>Kuasa t</i>)	$\frac{t^{n-1}}{(n-1)!}$	$\frac{1}{s^n}$
Exponential (<i>Eksponen</i>)	e^{-at}	$\frac{1}{s+a}$
t -multiplication exponential (<i>Pendaraban t bagi eksponen</i>)	te^{-at}	$\frac{1}{(s+a)^2}$
Repeated t -multiplication exponential (<i>Pendaraban t berulang bagi eksponen</i>)	$\frac{1}{(n-1)!} t^{n-1} e^{-at}$	$\frac{1}{(s+a)^n}$
Sine (<i>Sinus</i>)	$\sin \omega t$	$\frac{\omega}{s^2 + \omega^2}$
Cosine (<i>Kosinus</i>)	$\cos \omega t$	$\frac{s}{s^2 + \omega^2}$
Damped sine (<i>Sinus teredam</i>)	$e^{-at} \sin \omega t$	$\frac{\omega}{(s+a)^2 + \omega^2}$
Damped cosine (<i>Kosinus teredam</i>)	$e^{-at} \cos \omega t$	$\frac{s+a}{(s+a)^2 + \omega^2}$
t -multiplied sine (<i>Pendaraban t bagi sinus</i>)	$t \sin \omega t$	$\frac{2\omega s}{(s^2 + \omega^2)^2}$
t -multiplied cosine (<i>Pendaraban t bagi kosinus</i>)	$t \cos \omega t$	$\frac{s^2 - \omega^2}{(s^2 + \omega^2)^2}$

Two-Port Network Parameters
(Parameter Rangkaian Dua Liang)

Impedance parameters

$$V_1 = z_{11} I_1 + z_{12} I_2$$

$$V_2 = z_{21} I_1 + z_{22} I_2$$

Admittance parameters

$$I_1 = y_{11} V_1 + y_{12} V_2$$

$$I_2 = y_{21} V_1 + y_{22} V_2$$

Hybrid parameters

$$V_1 = h_{11} I_1 + h_{12} V_2$$

$$I_2 = h_{21} I_1 + h_{22} V_2$$

Transmission parameters

$$V_1 = A V_2 - B I_2$$

$$I_1 = C V_2 - D I_2$$

Jadual Penukaran Untuk Rangkaian Dua Liang
(Conversion Table for Two-Port Network Parameters)

	z	y	h	ABCD
z	z_{11} z_{12} z_{21} z_{22}	$\frac{y_{22}}{\Delta_y}$ $-\frac{y_{12}}{\Delta_y}$ $-\frac{y_{21}}{\Delta_y}$ $\frac{y_{11}}{\Delta_y}$	$\frac{\Delta_h}{h_{22}}$ $\frac{h_{12}}{h_{22}}$ $-\frac{h_{21}}{h_{22}}$ $\frac{1}{h_{22}}$	$\frac{A}{C}$ $\frac{\Delta_T}{C}$ $\frac{1}{C}$ $\frac{D}{C}$
y	$\frac{z_{22}}{\Delta_z}$ $-\frac{z_{12}}{\Delta_z}$ $-\frac{z_{21}}{\Delta_z}$ $\frac{z_{11}}{\Delta_z}$	y_{11} y_{12} y_{21} y_{22}	$\frac{1}{h_{11}}$ $-\frac{h_{12}}{h_{11}}$ $\frac{h_{21}}{h_{11}}$ $\frac{\Delta_h}{h_{11}}$	$\frac{D}{B}$ $-\frac{\Delta_T}{B}$ $-\frac{1}{B}$ $\frac{A}{B}$
h	$\frac{\Delta_z}{z_{22}}$ $\frac{z_{12}}{z_{22}}$ $-\frac{z_{21}}{z_{22}}$ $\frac{1}{z_{22}}$	$\frac{1}{y_{11}}$ $-\frac{y_{12}}{y_{11}}$ $\frac{y_{21}}{y_{11}}$ $\frac{\Delta_y}{y_{11}}$	h_{11} h_{12} h_{21} h_{22}	$\frac{B}{D}$ $\frac{\Delta_T}{D}$ $-\frac{1}{D}$ $\frac{C}{D}$
ABCD	$\frac{z_{11}}{z_{21}}$ $\frac{\Delta_z}{z_{21}}$ $\frac{1}{z_{21}}$ $\frac{z_{22}}{z_{21}}$	$-\frac{y_{22}}{y_{21}}$ $-\frac{1}{y_{21}}$ $-\frac{\Delta_y}{y_{21}}$ $-\frac{y_{11}}{y_{21}}$	$-\frac{\Delta_h}{h_{21}}$ $-\frac{h_{11}}{h_{21}}$ $-\frac{h_{22}}{h_{21}}$ $-\frac{1}{h_{21}}$	A B C D